The great, unsolved problem of turbulence and the need for wind tunnels

Turbulence

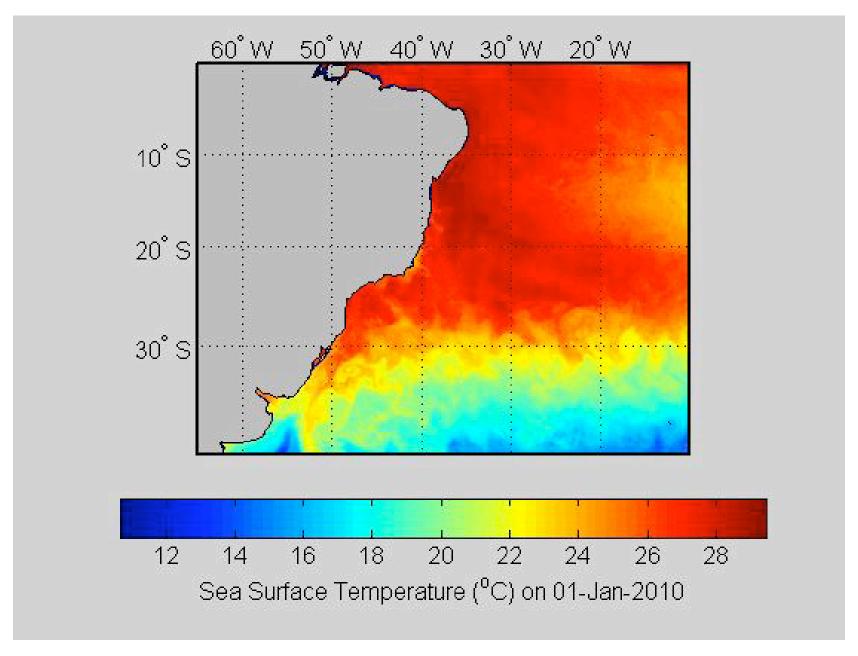
 Most important unsolved problem in classical physics

Much harder than relativity or quantum mechanics

Ubiquitous



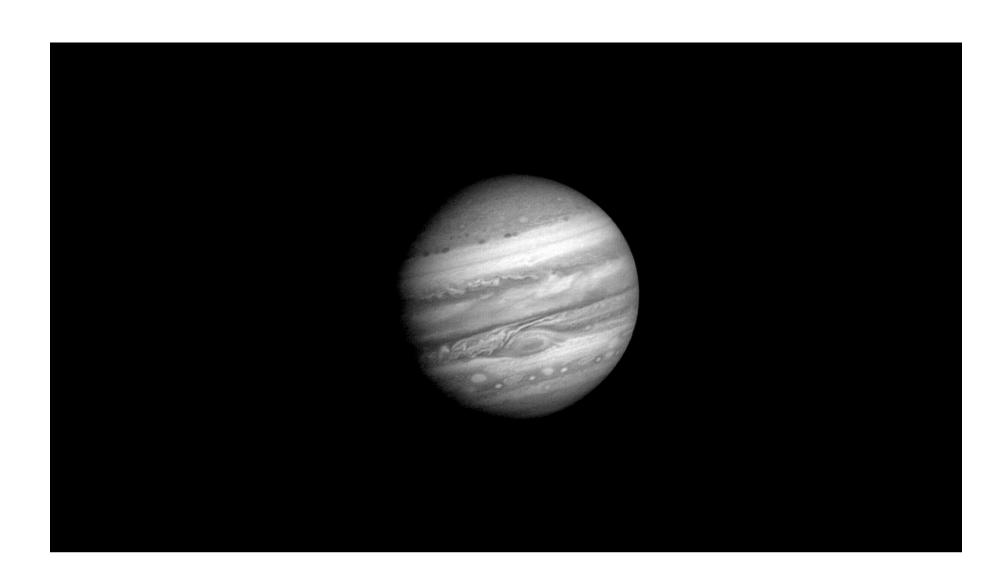
NASA, Apollo 17



http://oceancurrents.rsmas.miami.edu/atlantic/img_artg.php







Turbulence models

- Singular perturbation problem at large Re
- Eddy diffusivity
- "Reynolds-averaged Navier-Stokes"
- Large eddy simulations
- Adjustable constants
- French curve

Direct numerical simulation

Turbulent eddy spectrum

• Number of degrees of freedom $n = Re^{9/4}$

At flight Reynolds numbers, n = 10¹⁸

Moore's law

Examples of surprises

- Rectangular cylinder
- Stationary vortices
- Mixing and two-phase flows

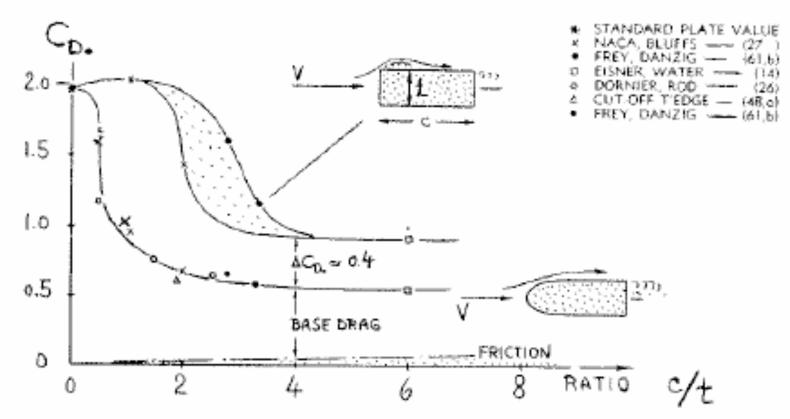
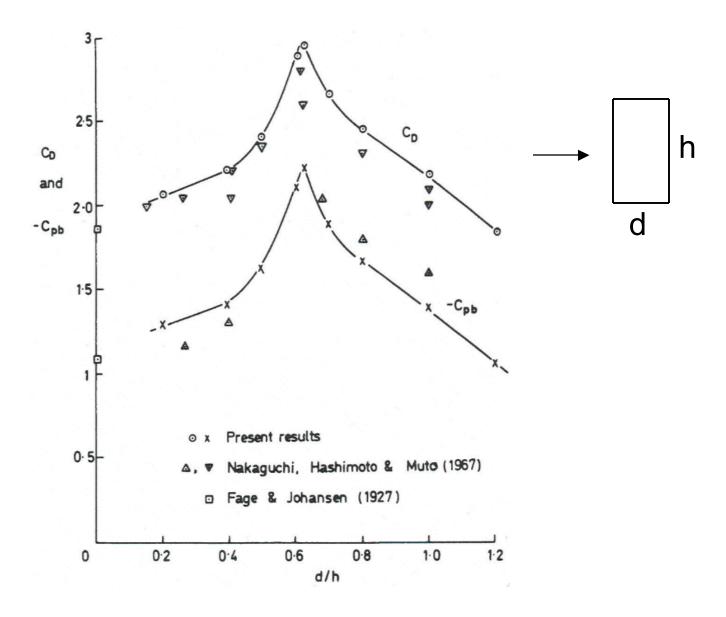
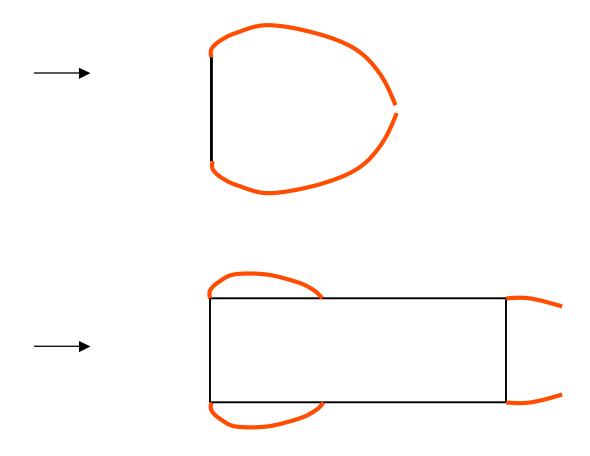


Figure 22. Drag coefficient of "rectangular" sections (tested between walls) with blunt leading edge (upper part) and with rounded shape (lower part), against length ratio.



Bearman & Trueman 1972

Topology changes



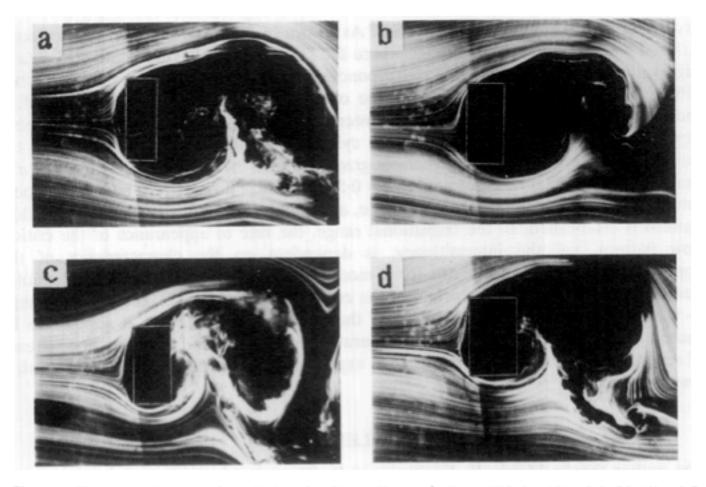
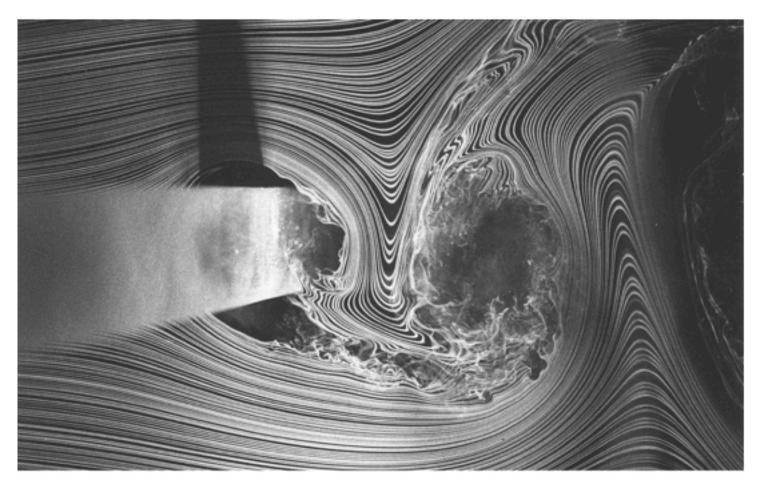


Figure 4. Flow around rectangular cylinders. h = 10 cm, U = 1 m/s, Re = 6700: (a) d/h = 0.4; (b) d/h = 0.5 at high base pressure; (c) d/h = 0.5 at low base pressure; (d) d/h = 0.6.

Bearman & Trueman 1972



c/d = 0.62, Re = 8×10^3

Norberg 1993

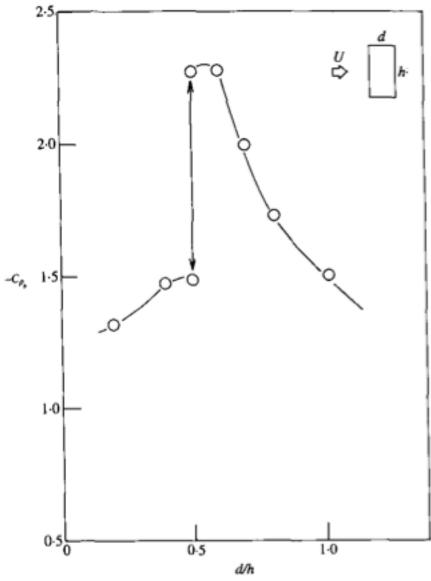
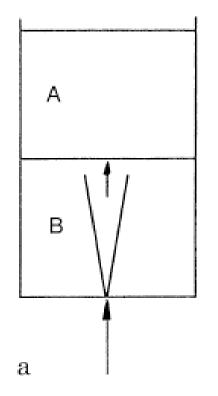
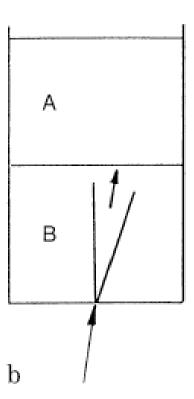


Figure 5. Base pressure coefficient variation with side ratio.

Which has the greater entrainment rate?

(Redekopp)





Vertical impinging jet (Cotel)

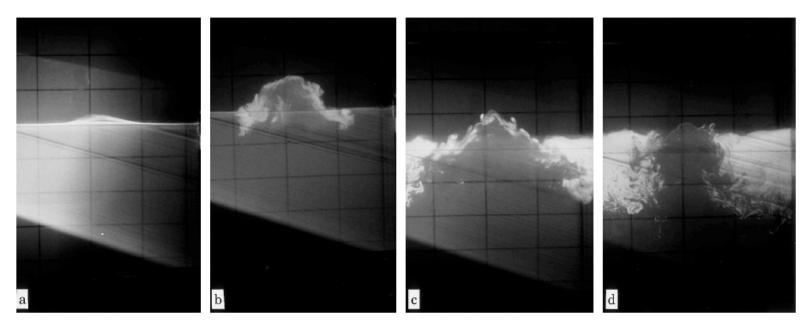


Fig. 2a-d. Time sequence photographs of the vertical jet impinging on the interface with Ri = 5.3 and Re = 6900 initially. a t = 2 s; b t = 5 s; c t = 13 s; d t = 30 s

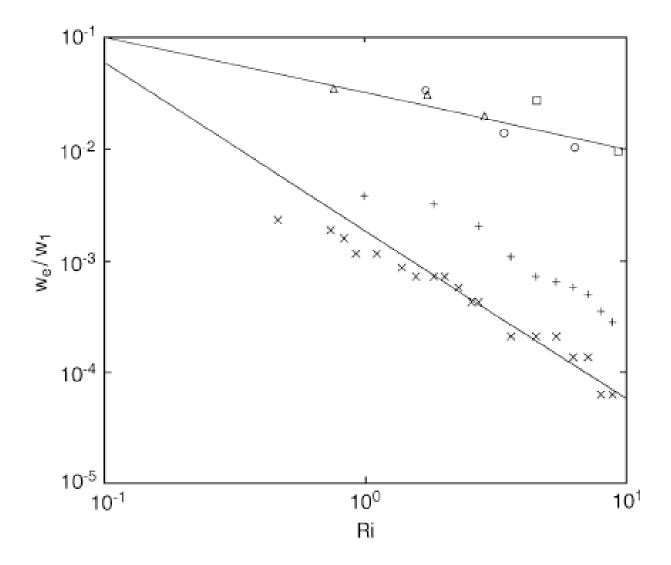
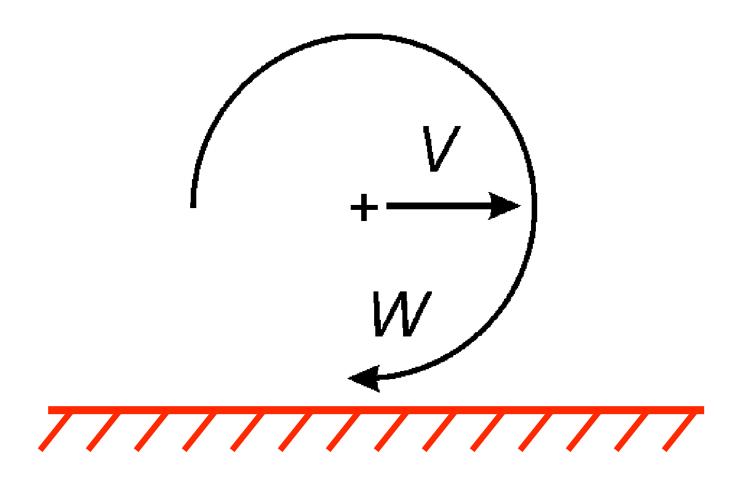
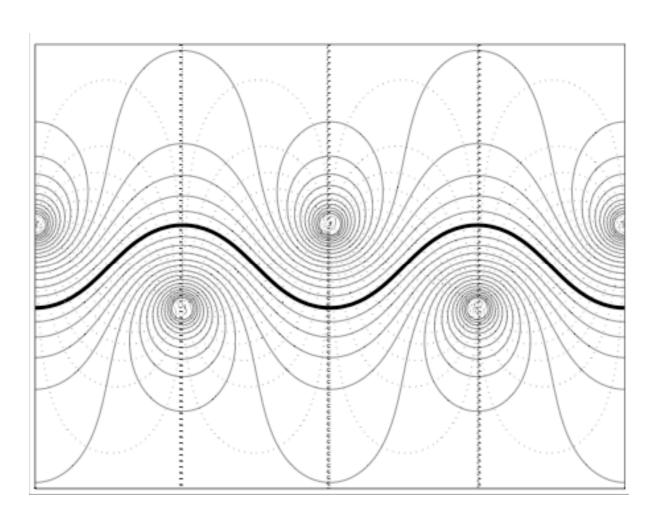


Fig. 5. Comparison of the entrainment rates for vertical and tilted jets. The slopes of the upper and lower lines are -1/2 and -3/2, respectively. The symbols for the vertical jet are as in Fig. 4. \times Precessing, tilted jet; + non-precessing, tilted jet Cotel et al.

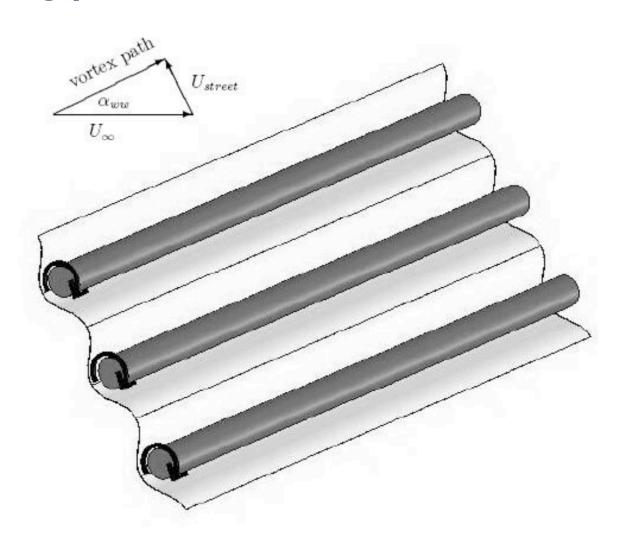
What kind of surface?



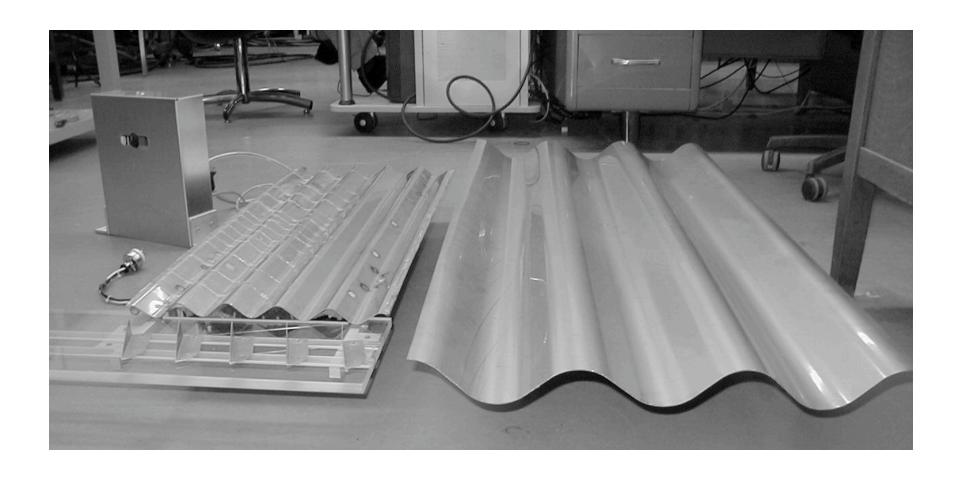
von Karman wake (Balle)



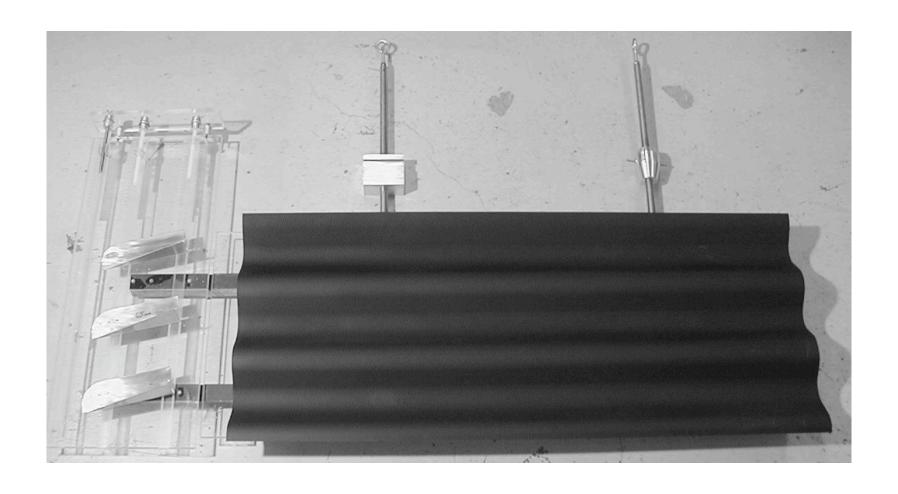
(Nearly) streamwise vortices



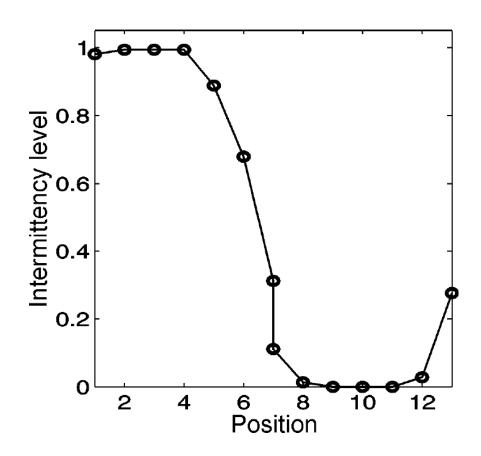
wavy walls (Dawson)



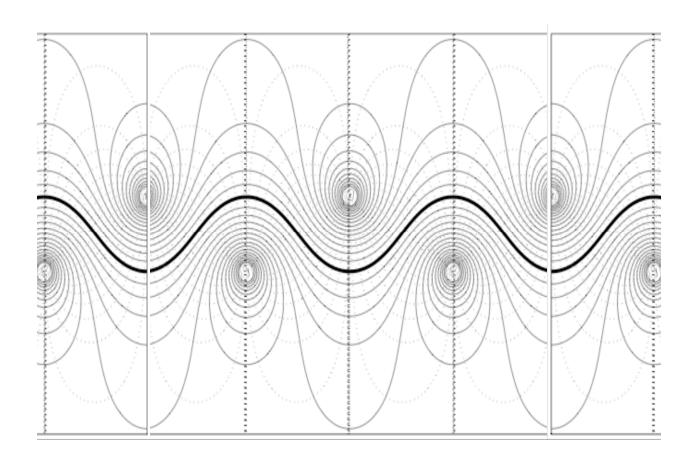
upstream VG's



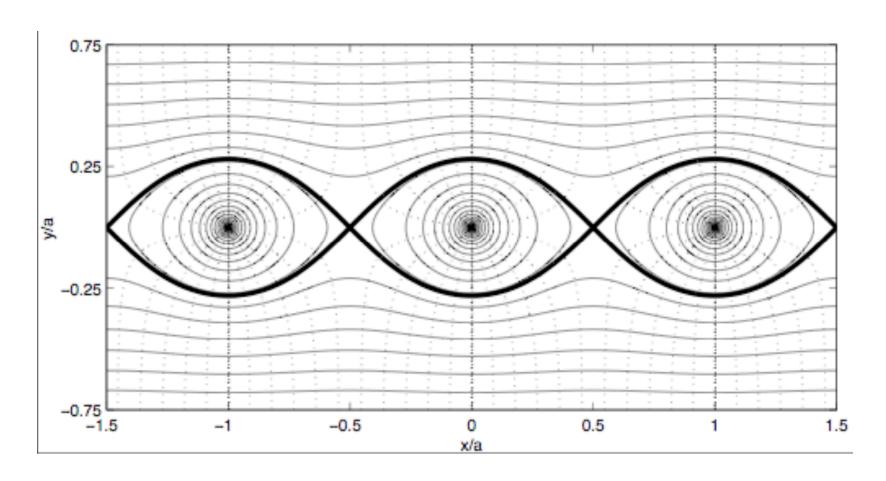
Turbulent intermittency over one wavelength (Bauer)

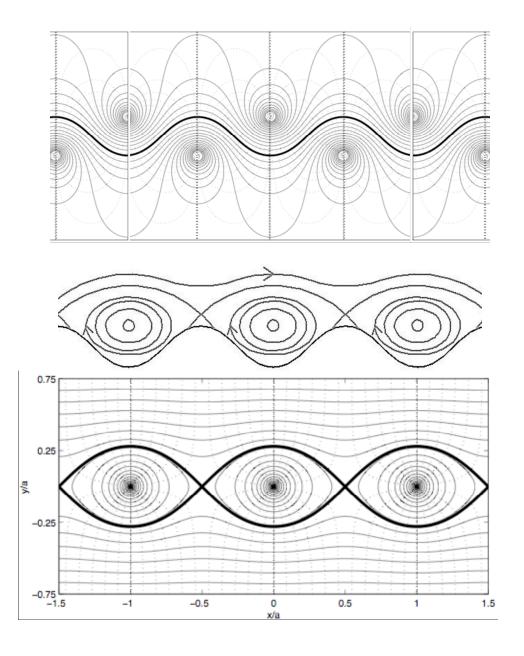


von Karman wake



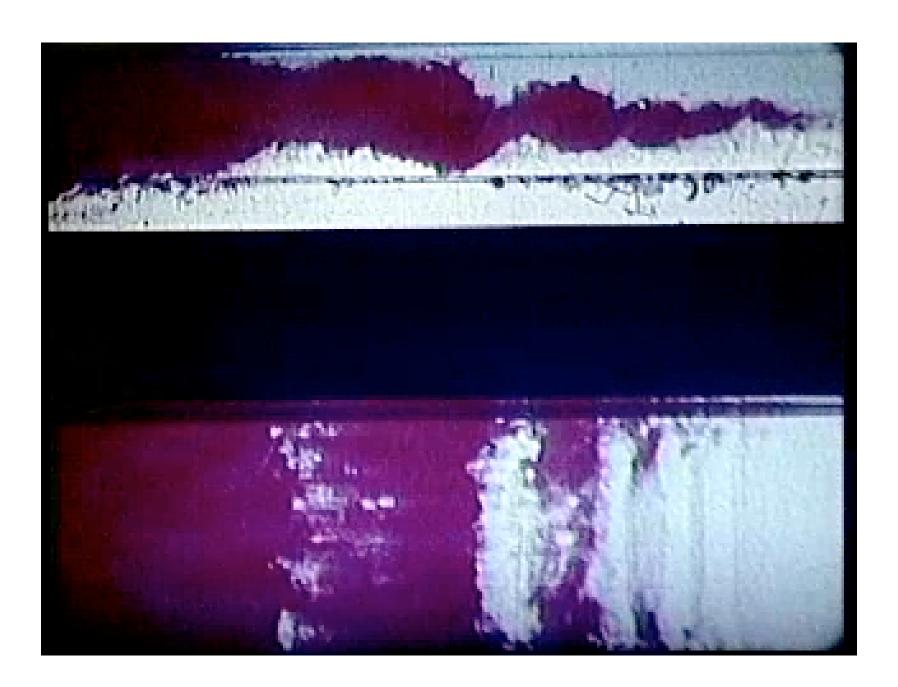
Kelvin's cat's eyes

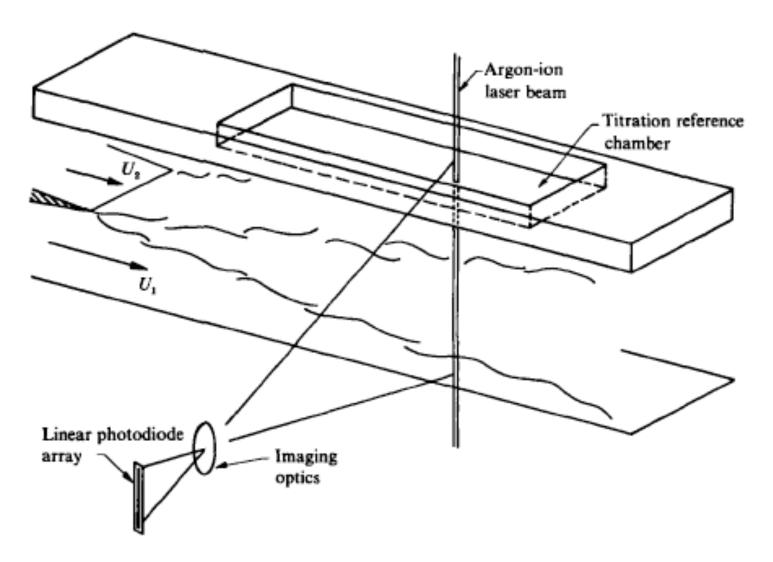






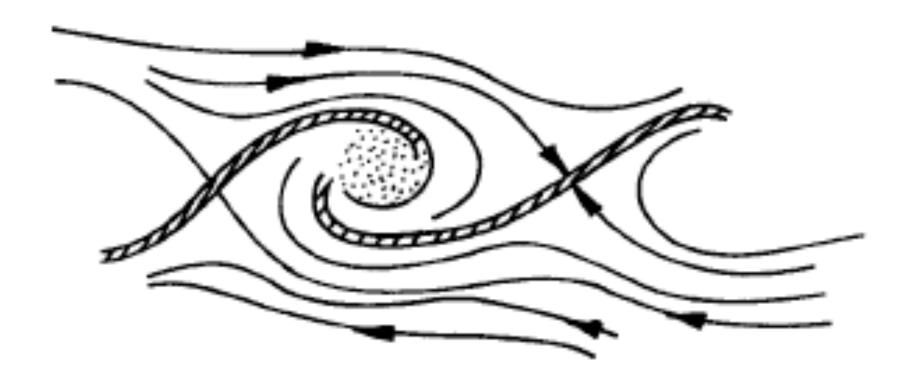
Brown & Roshko 1969





Koochesfahani & Dimotakis 1986

Mixing model



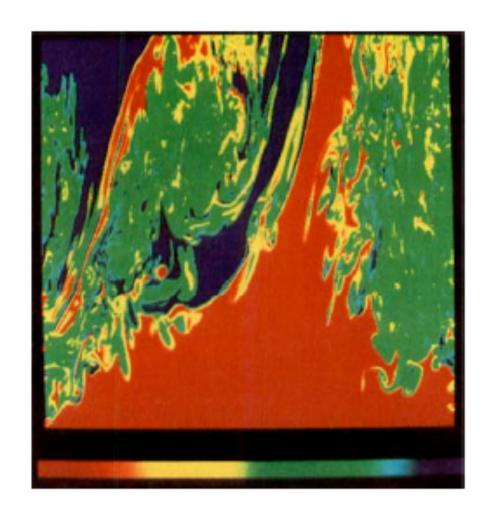
with Broadwell 1982

Below the mixing transition

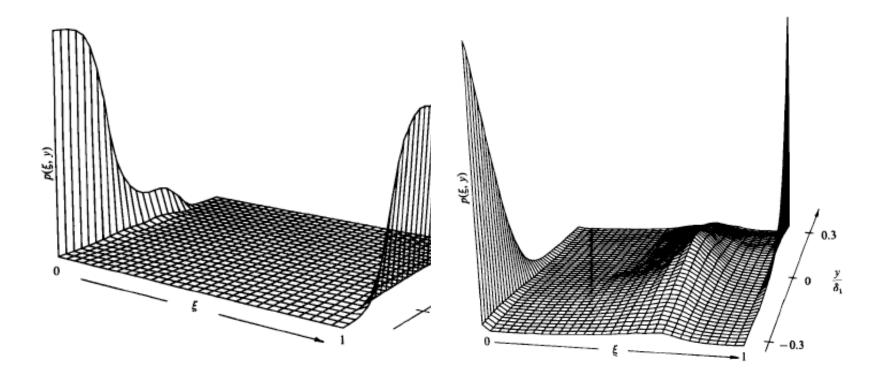




Above the mixing transition



Probability density function of scalar concentration



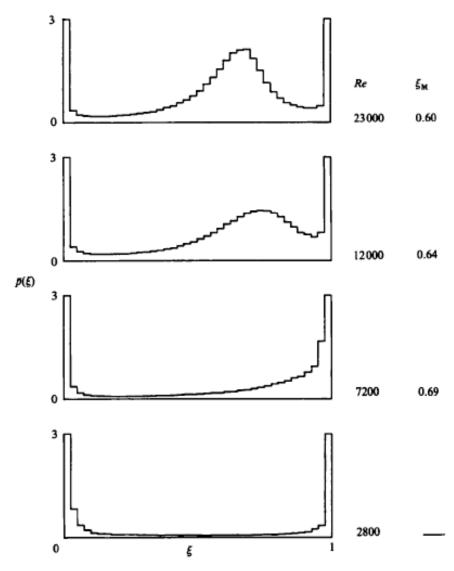
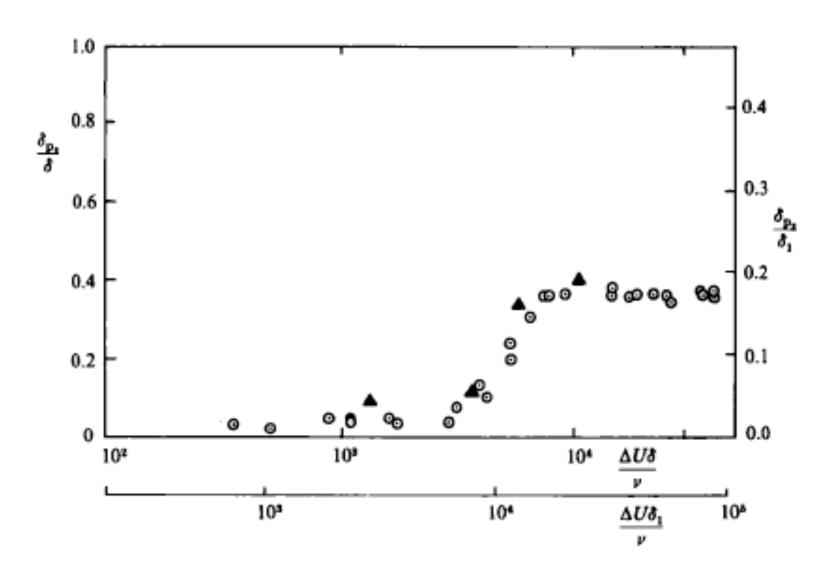


FIGURE 12. Evolution of the p.d.f. during the mixing transition.

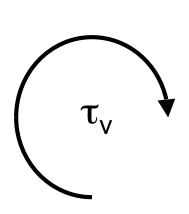
Mixing



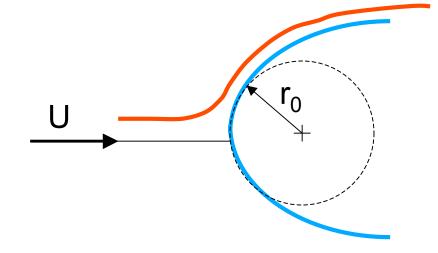
Two-phase flow

St = particle time / flow acceleration time

$$= \tau_p / \tau_a$$



$$\tau_a = \tau_v$$



$$\tau_a = r_0/U$$

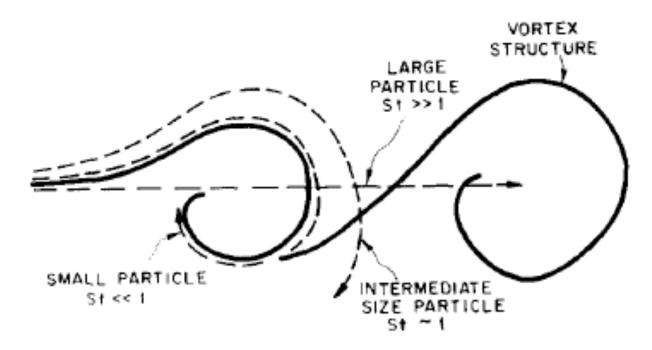


Fig. 2. Pictorial representation of the effect of Stokes number on particle dispersion in large-scale turbulent structures.

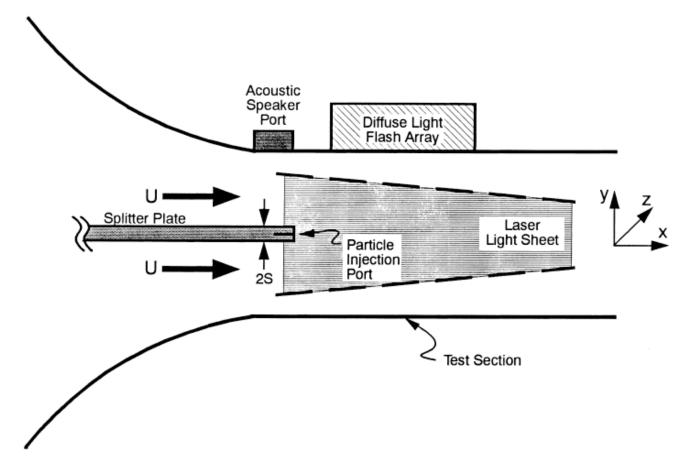
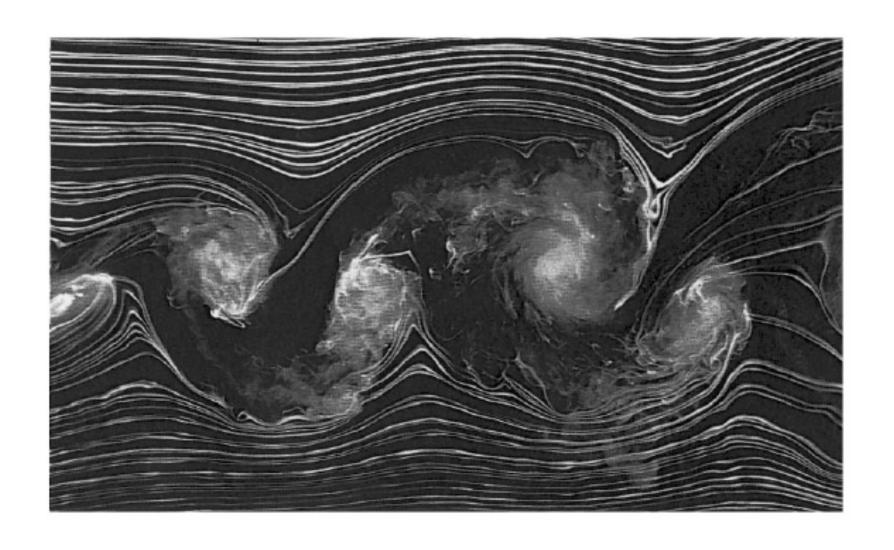
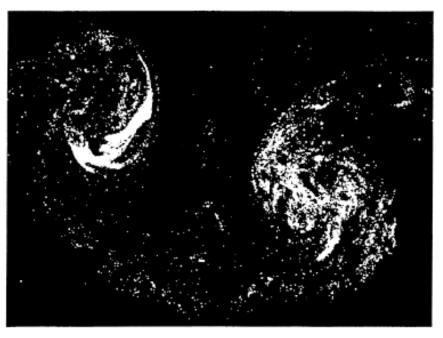


Fig. 1. Schematic of test facility.



Yang, Crow, Chung, & Troutt 2000

De-mixing





St = 0.15

St = 1.4

Yang, Crow, Chung, & Troutt 2000

Conclusions

- Turbulence: beautiful, everywhere, and hard
- Turbulence models based on wind tunnels
- Continuing need for wind tunnel experiments

